

USING AN ANALYTICAL METHOD TO DETERMINE FUEL CONSUMPTION AND MOVEMENT SPEED OF THE MTI.

Tursunov Bokhodir Nasibovich

Candidate of technical sciences, associate professor

Andijan Institute of Agriculture and Agricultural Technologies

<p>Article History</p> <p>Received: 27Aug 2023</p> <p>Revised: 28Sept 2023</p> <p>Accepted: 06Oct 2023</p> <p>CC License</p> <p>CC-BY-NC-SA 4.0</p>	<p>Annotation. To develop standards for production and per-hectare fuel consumption, the speed of the unit and the hourly fuel consumption are determined based on the specified values of the specific resistance of the implements and the typical traction characteristics of the tractor (1). The composition of the unit and its mode of operation when performing a standardized agricultural operation are determined by graphical and graphic-analytical methods, mainly by a method based on a graphical combination of the traction characteristics of tractors and the resistance of machines and implements. (2.5). These methods, although somewhat labor-intensive, make it possible to obtain some averaged data for technical standardization and can be used to solve other problems.</p> <p>Key words. Problem, universal machine, production, agricultural machines, tractor, experimental studies, transmission.</p>
--	--

However, the need to create universal machine methods for solving technical standardization problems, applicable both for tractors and agricultural machines in operation and for their designed models, and also taking into account the all-mode nature of the tractor engine speed control, required further improvement of calculation methods. The basis of the proposed method Calculation of fuel consumption and speed of movement of the MTA is based on the results of analysis of data from traction tests of tractors and bench tests of engines, as well as the results of field experimental studies of MTA under various load and speed conditions of tractor operation

The technical characteristics of the tractor provide the values of the nominal traction forces P_{cr} and the design speeds V_{tr} without taking into account the slip coefficient of the road wheels for each transmission gear. To determine the actual speed of movement of the power vehicle V_t , it is necessary to know the slip coefficient δ and the degree of speed reduction depending on the traction force P_{cr} ,

In accordance with GOST 24056-2010. "Methods for operational and technological assessment of machines at the design stage", the coefficient δ is recommended to be expressed as a function of the ratio of the traction force P_{cr} to the adhesion weight of the tractor G_{sc} . As a result of processing data from traction tests of tractors, it was found that with an increase in P_{cr}/G_{sc} the value of δ increases according to a quadratic dependence (Fig. 1), while the dispersion of data for tractors of the same design is 1...3%, which is quite acceptable for practical calculations.

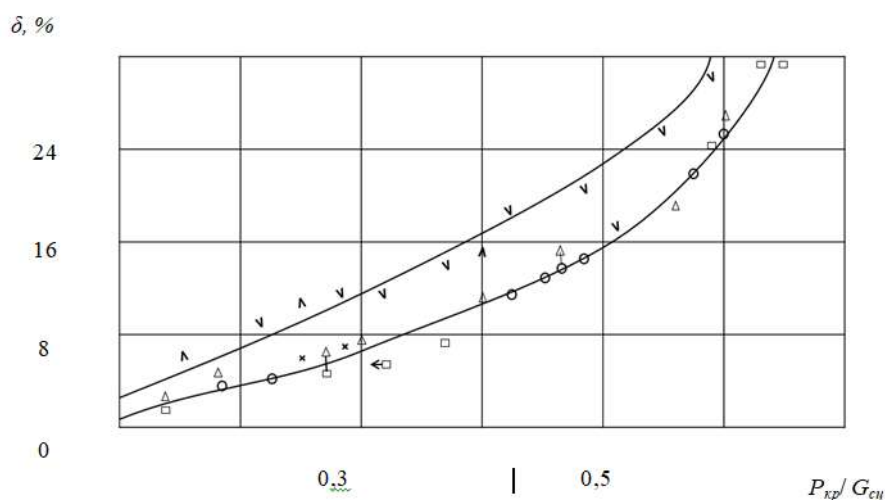


Fig. 1. Dependence of the slip coefficient on the ratio P_{kp} on the stubble of cereal grains: \square , \circ , \triangle , \bullet , ∇ - data corresponding to tractors K-710M, K-700, K-701, T-150K, MTZ-80, MTZ- 82, TTZ-80-11

With the same values of the ratio P_{cr}/G_{cc} , the value of the coefficient δ of the MTZ-80 tractors is slightly higher than that of the T-150K and K-700 tractors. This indicates better utilization of the traction weight of tractors with an articulated frame compared to tractors with steered front wheels, having the 4x4 and 4x2 wheel formulas, respectively. [8]

To describe the dependence $\delta=f(P_{kp}/G_{cc})$ we use a simplified version of the empirical equation (4):

$$\delta = \alpha \frac{P_{kp}}{G_{cc}} + \beta \left(\frac{P_{kp}}{G_{cc}} \right)^2 \quad (1)$$

The average values of coefficients α and β obtained when processing data from traction tests of tractors of the main brands are given in Table 1.

Empirical coefficients

Table 1

Type of agricultural background	Coefficient	K-700 K-701	T-150K	TTZ-80-11	T-150	BT-150
Stubble of cereal grains and annual grasses	α	-26,0	-4,2	3,5	-5,1	0,77
After harvesting corn	β	126,8	79,9	68,3	16,8	19,2
Field prepared	α	-17,0	-12,2	10,3	-7,6	-1,9
under the soil, freshly plowed field	β	128,2	142,8	75,9	394	293

Taking into account the above, we determine the speed of the tractor by the expression:

$$V_T = V_{Tp}(1 - \delta) \quad (2)$$

As you know, at each transmission gear, the speed of the energy vehicle increases with decreasing traction load, reaching a maximum at idle ($P_{cr} = 0$). Analysis of tractor traction test data shows that the speed increase coefficient.

$$\xi_4 = \frac{V_T}{V_{TM}}$$

V_T - speed at maximum traction power), characterizing the intensity of the speed change depending on the traction force and depending on the degree of unevenness of the engine shaft speed control and slipping of the tractor propulsion, for wheeled tractors it is on average 1.16...1.25, for tracked ones - 1.10...1.14 (Table 2)

Odds value ξ_v are quite close in value for the entire range of transmission gears of the indicated types of tractors and can be applicable for promising models of energy vehicles. [9] Considering that dependence $V_T = f \cdot P_{kp}$ can be more accurately described by a quadratic dependence; generalized dependences of speed on traction force in dimensionless coordinates were obtained

$\frac{P_{kp}^2}{P_{kp}^2 U} - \frac{V_T}{V_{TM}}$ - the ratio of current values to nominal values (Figure 2). To determine the current values of the coefficients ξ_i at $0 < P_{kp} < P_{kph}$ depending on the $\frac{P_{kp}^2}{P_{kph}^2}$ We use the linear interpolation method.

Odds value

Table 2

Type of agricultural background	K-700, K-701, T-150K	TTZ-80-11, MTZ-80/82	BT-150
Fallow land, planets of perennial grasses, strong compacted stubble	1,160	1,22	1,10
Stubble of grain strips and annual grasses, field after corn harvesting	1,170	1,23	1,11
Steam, field after harvesting root crops, after plowing	1,175	1,24	1,12
Field prepared for sowing, freshly plowed field	1,185	1,25	1,14

The values of the coefficients ξ_v obtained experimentally and calculated using equation (3) are in good agreement, the difference between them does not exceed 4.5%, which indicates the possibility of using this method for describing speed for practical calculations, using only the nominal technical indicators P_{cr} and K_{tr} . When $V=f \cdot P_{cr}$ dependence is described by linear functions, the deviations of the calculated speed values from the actual ones reach 15%.

Given the expression $\xi = \frac{V_{Ti}}{K_{TH}}$ equation (3) will take the form:

$$V_{Ti} = V_{TM} \left[\xi_v + (1 - \xi_v) \frac{P_{kp}^2}{P_{ph}^2} \right]$$

The traction resistance of the unit P_c is equal in a steady state, equal to the movement in a steady state

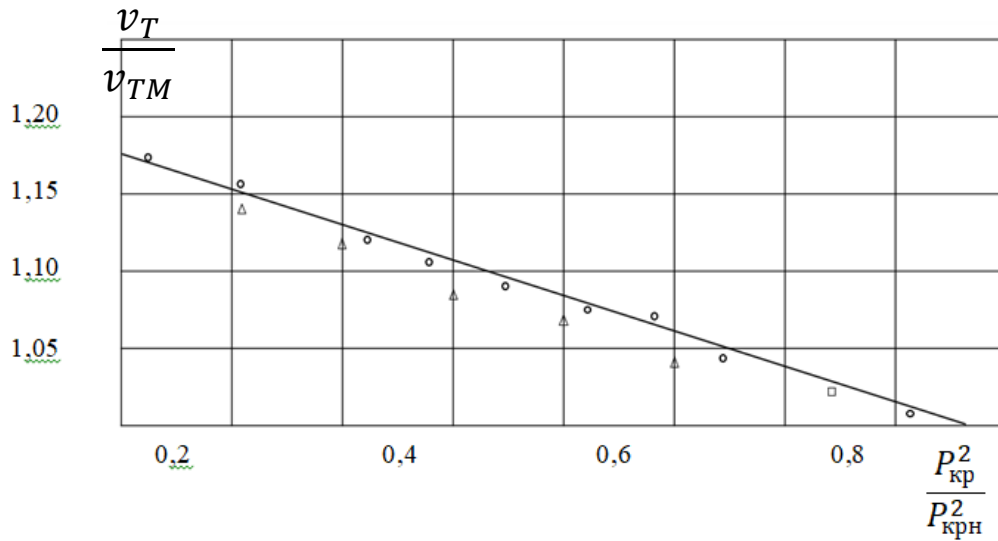
Let us represent the traction force of the tractor P_{cr} by the well-known expression:

$$P_c = K_c [1 + \alpha_0 (V_p + V_0)] B_p$$

Where P_c is the specific resistance of the machine-implement at speed;

α_0 -coefficient taking into account the effect of speed on resistivity;

B_r is the working width of the machine tools



Picture. 2. Generalized dependence of speed on traction - effort in dimensionless coordinates for the T-150K tractor when operating on grain stubble: \square , \circ , \triangle , \bullet - respectively, transmission gears 1....4

To coordinate the energy capabilities of the tractor and agricultural machine, the mode is combined with equations (4) and (5) regarding V_p and P_c , keeping in mind that in absolute value $P_c = P_{KP}$, and $V + C = V_p$. Let us present the system of equations in the following form;

$$V_p = V_{TM} \cdot \xi_v + (1 - \xi_v) V_{TM} \cdot \frac{P_{KP}^2}{P_{KPH}^2}$$

$$R_c = R_0 \cdot B_p + R_0 \cdot \alpha_0 \cdot B_p V_p - R \cdot \alpha_0 \cdot B_p \cdot V_0$$

$$A \cdot R_c^2 + B - V_p = 0$$

$$C \cdot V_p + D - R_c = 0$$

$$A = \frac{1 - \xi_v}{P_{KPH}^2} \cdot V_{TM}$$

$$B = V_{TM} \cdot \xi_v$$

$$C = R \cdot \alpha_0 \cdot B_p$$

The value of coefficient D for traction and traction-drive units was calculated accordingly using the following formula:

$$D = R \cdot B_p (1 - \alpha_0 V_c)$$

$$D = R \cdot B_p (1 - \alpha_0 V_c) + (G_M + G_T) \cdot f_M \cdot g \frac{3,6(N_X + N_P)}{V_{TM} \cdot \eta_{BOM}} \quad (6)$$

Where: G_M, G_T - mass of the machine and technological load;

f_M - coefficient of resistance to rolling of the machine;

g - acceleration of free putting on;

N_X - power consumed through the PTO for the idle drive of the working bodies;

$N_P = N_y \cdot g_f$ - power consumed through the PTO to perform the technological process;

N_y - specific power per unit of material supplied to the machine;

g_f - transmission supply of the energy vehicle (at main work - 0.8....0.9, at turns and crossings - 0.6....0.7);

η_{vom} - efficiency of the PTO mechanism (0.950.96).

After solving the system of equation (7) we obtained the following dependencies:

$$R_c = \frac{1 - \sqrt{1 - 4AC(CB + D)}}{2AC}$$

$$V_p = B + \frac{1 - \sqrt{1 - 4AC(CB - D)}}{2AC}$$

It is known that in the correction-free section of the regulatory characteristics of a tractor engine, the dependences of hourly fuel consumption on the engine load factor are identical for different brands of power plants (3) and can be represented by the equation: [10]

$$G_T = g_{eh} \cdot N_e \left(\frac{a}{\xi x_e} + b \right)$$

Where: g_{en} - specific fuel consumption at rated engine power N_{en} ;

N_e - current value of engine power;

a, b - empirical coefficients;

Empirical coefficients characterize, respectively, the share of fuel energy consumption to overcome mechanical losses in the engine and the angle of inclination of the line, $G_T = f(N_e) \propto N_e$ which is depicted on a graph with dimensionless coordinates (Fig. 3). The construction of this dependence for different values of the coefficient T_c for reducing the speed mode of the SMD-62 engine of the T-150K tractor shows (Fig. 4) that the nature of its passage is identical both for $\gamma = 1$ and for $\gamma < 1$. For tractor engines MTZ-80 and K-701, the nature of this dependence is similar. [11]

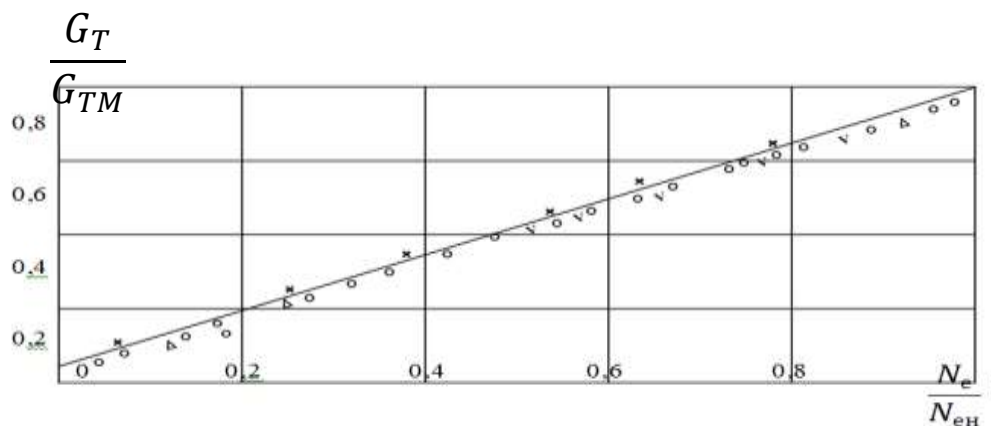


Fig.3. Dependence of the degree of utilization of fuel consumption on the engine load factor at values equal to

I(0), C MD-62X-γ n3-240BA-A1401, □-SMD-60 V-D-244

Based on the results of statistical processing of data from bench tests of diesel engines (Table 3), it was established that for the regulatory section of the characteristic, coefficients a and b have the following average values: 0.25 and 0.75.

Table 3
Numerical values of coefficients and

Engine make	Hourly fuel consumption, G_T kg		a	b
	At maximum power	At idle power		
D-21	4,0	1,1	0,27	0,73
D-21A	4,75	1,35	0,28	0,72
D-21E	9,25	2,8	0,30	0,70
D-30	10,8	3,1	0,29	0,71
D-240	14,8	3,75	0,23	0,75
AM-41	16,65	4,5	0,27	0,73
AM-01	24,0	6,0	0,25	0,75
SDM-60	27,7	6,0	0,22	0,78
SDM-62	30,5	7,5	0,24	0,76
YMZ-238NB	38,5	10,0	0,26	0,74
YMZ-240B	55,0	15,5	0,28	0,72
YMZ-240N	89,7	22,1	0,24	0,76

The dependence of the hourly fuel consumption G_T on the traction force of the tractor P_{cr} is almost linear in nature and for its analytical description it is necessary to have the values of the hourly fuel consumption at maximum traction power G_{TM} and at idle power of the tractor G_{TX} . [12]

If the value of G_{TM} can be determined quite accurately by calculation, determining G_{TX} by calculation is difficult due to the fact that the traction efficiency of the tractor and the specific effective fuel consumption of the engine, necessary for calculating G_{TX} , are set and regulated only for the nominal traction force $P_{(cr\ n)}$ and the rated power N_{en} power plant. Therefore, instead of defining, we will find on the graph of the traction characteristics of the tractor the coordinates of the point corresponding to the resistance to movement reduced to the engine shaft and the losses in the transmission of the energy vehicle P_{fn} , which corresponds to the fuel consumption spent on idling the engine G_{TX} .

The reduced resistance was determined by the formula:

$$P_{fn} = \frac{G_{tp} \cdot g \cdot f_t}{10^3 \cdot \eta_{mr}}$$

Where: G_{tr} - tractor weight, kg;

f_t - coefficient of resistance to rolling of the tractor.

Fuel consumption when the engine is idling is:

$$G_{TX} = Q \cdot G_{TH} = 0,25G_{TH}$$

Taking into account the above and the dependence of hourly fuel consumption on traction force $P_{cr}=R_c$, which is based on the rules of linear interpolation, the following equations can be written:

$$G_T = 0,25 \cdot h_{TH} + (P_{fn} + P_{kpi}) \frac{G_{tmi} - 0,25G_{TH}}{P_{fn} + P_{kpm}}$$

In the process of determining the speed of movement V_p and the hourly fuel consumption G_T , the condition $P_{cr}=R_c=0.92P_{cm}$ must be met in the selected gear of the tractor transmission. If this condition is not met, the calculation is carried out for a lower gear. In turn, the speed of movement of the MTA should not exceed the speed V_{pq} permissible according to agrotechnical requirements for a given agricultural machine.

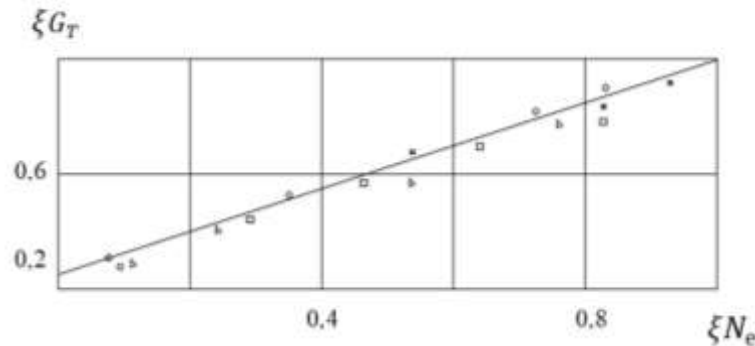


Fig.4. Dependence of the degree of utilization of fuel consumption ξG_T on the engine load factor ξN_e at values of γ_c equal to 1(○), 0.9(●), 0.85(▲) and 0.6(□)

When the operating speed of the MTA is limited and the tractor is underloaded ($R_c \ll 0.92P_{cr}$), to increase the fuel efficiency of the engine, its partial operating modes should be used, i.e. it is necessary to engage higher gears and reduce the engine shaft speed to maintain the speed $V_p = V_{pq}$. The transmission gear that can be switched to without overloading the engine is established by comparing the traction resistance, approximately found by formula (5), with the nominal traction force of the tractor P_{cm} for a number of gears. After this, for the selected tractor gear, the operating speed V_p , traction resistance R_c and hourly fuel consumption G_t are determined using the method described above, when the engine is operating at the nominal speed mode.

In partial engine operating modes, fuel consumption depends on the engine shaft speed, which is related to the tractor speed by the following ratio:

$$n_g = n_{gH} = \frac{V_{Ti}(1 - \delta_H)}{V_{TM}(1 - \delta_T)}$$

Where: δ_n , δ_T - slip coefficients of tractor propulsors at nominal and actual traction forces.

As a characteristic of the engine speed mode, we used the speed reduction coefficient γ_c , which represents the ratio of the engine shaft rotation speed at idle when operating in intermediate and nominal modes. Modern tractor engines operate stably with changes in γ_c within the range of 1.0....0.6. The lower limit γ_c ensures the stability of the functioning of the main systems of the engine and tractor.

The engine shaft rotation speed at idle when the engine is running at partial speed, corresponding to the speed of the MTA in this mode, is unknown. Therefore, we determined not the actual, but the approximate value of the coefficient γ_c , equal to the ratio of the engine shaft rotation speed at the speed allowed by agrotechnical requirements and at the speed obtained by calculation. The obtained value of γ_c differs from the actual value by no more than 3....4.2, which is acceptable for practical calculations. [13]

Based on the value of γ_c , it is possible to determine the possible fuel economy ΔG_t (Fig. 5) when using partial engine operating modes and, taking into account the previously found value of fuel consumption, calculate the actual fuel consumption:

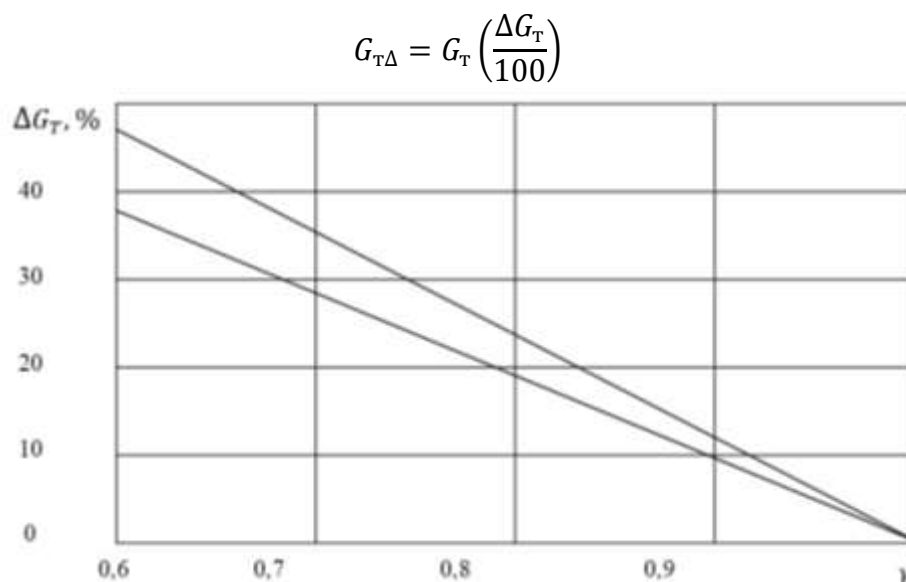


Fig.5. Generalization of the dependence of hourly fuel consumption savings ΔG_T MTA on the engine speed reduction coefficient γ s

The use of the proposed method makes it possible to establish fuel consumption standards for new equipment being introduced, and also increases the degree of their accuracy when performing MTA low-energy-intensive work.

REFERENCES:

1. Барам Х.Г. Научные основы технического нормирования полевых работ. – М.: Колос. 1970
2. Киртбая Ю.К. Резервы в использовании машинно-тракторного парка.-М.: Колос. 1982
3. Корсун Н.А. – Определение тяговой характеристики сельскохозяйственного трактора общего назначения. Тракторы и сельхозмашины, 1981, №6.
4. Соловейчик А.Г.. Сущевская Г.Д. Техникоэкономическое обоснование типа сцепки для агрегатирования энергонасыщенных тракторовК-701. –Труды ВИМ, 1975, т. 67
- 5 С.М.Иофинов Г.П.ЛышкоЭксплуатация машинн-тракторного парка Москва -1984г
- 6.Никифоров А.Н.Научные основы использования топлива и смазочных материалов в сельском хозяйстве. Москва ВО Агропромиздат -1987г
- 7.В.В.Варнаков и другие Технический сервис машин сельскохозяйственного назначения. Москва -2000г
8. Худойбердиев, Т. С., Болтабоев, Б. Р., Турсунов, Б. Н., & Юлдошев, Р. Р. (2020). Выбор схемы одновременного посева семян хлопчатника и сои. *Life Sciences and Agriculture*, (2-3), 131-136.
9. Худойбердиев, Т. С., Болтабоев, Б. Р., Турсунов, Б. Н., & Абдуллаев, О. (2020). Разработка конструкции комбинированной кукурузной сеялки работающей по технологии минимальной обработки почвы. *Life Sciences and Agriculture*, (2-3), 124-130.
10. Худайбердиев, Т. С., Турсунов, Б. Н., Холдаров, М. Ш., & Турсунов, А. Х. (2023). ВЛИЯНИЕ СНАБЖЕНИЯНА УДОВЛЕТВОРЕНИЕ СПРОСА НА НЕФТЕПРОДУКТЫ В СЕЛЬСКОМ ХОЗЯЙСТВЕ. *Central Asian Journal of Theoretical and Applied Science*, 4(5), 221-225.
11. Худойбердиев, Т. С., Болтабоев, Б. Р., & Турсунов, Б. Н. (2020). Уравнение баланса сил при повороте двух и трёхосных прицепов автомобилей. *Life Sciences and Agriculture*, (2-3), 15-19.

12. Худойбердиев, Т. С., Болтабоев, Б. Р., Турсунов, Б. Н., & Раззаков, Б. А. (2020). Выбор способа и технического средства для послойного внесения удобрений в грядки. *Life Sciences and Agriculture*, (2-3), 118-123.
13. Tursunov Bakhodir Nasibovich (2015). Individual program of professional improvement of teaching staff. Образование через всю жизнь: непрерывное образование в интересах устойчивого развития, 2 (13 (eng)), 308-309.